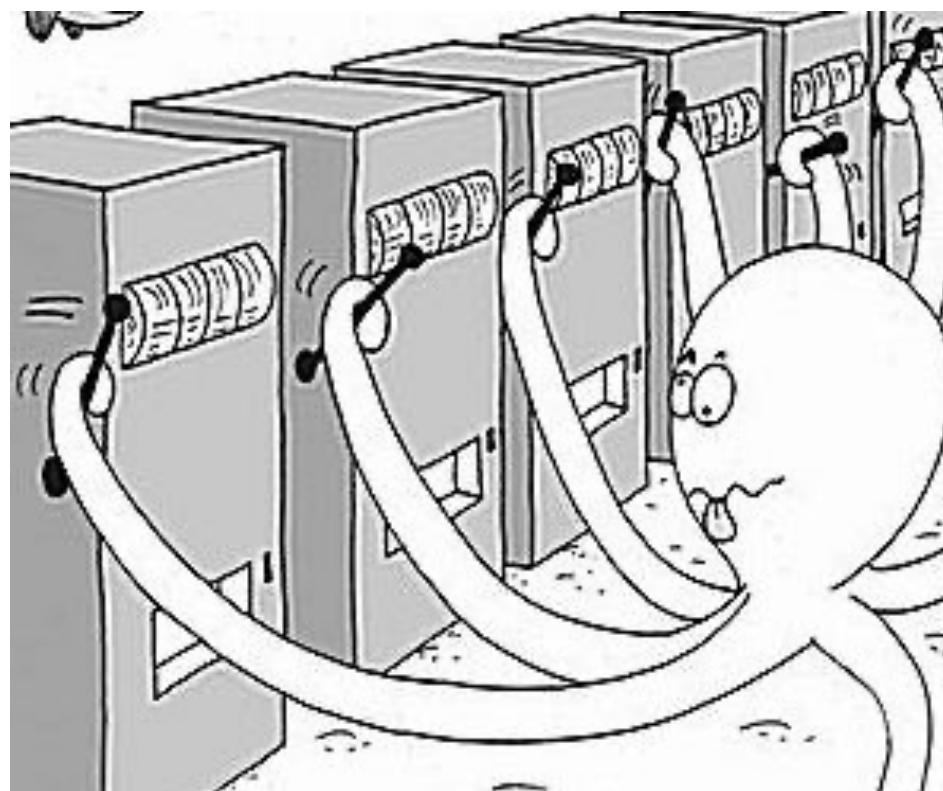




CSE 574 Planning and Learning Methods in AI

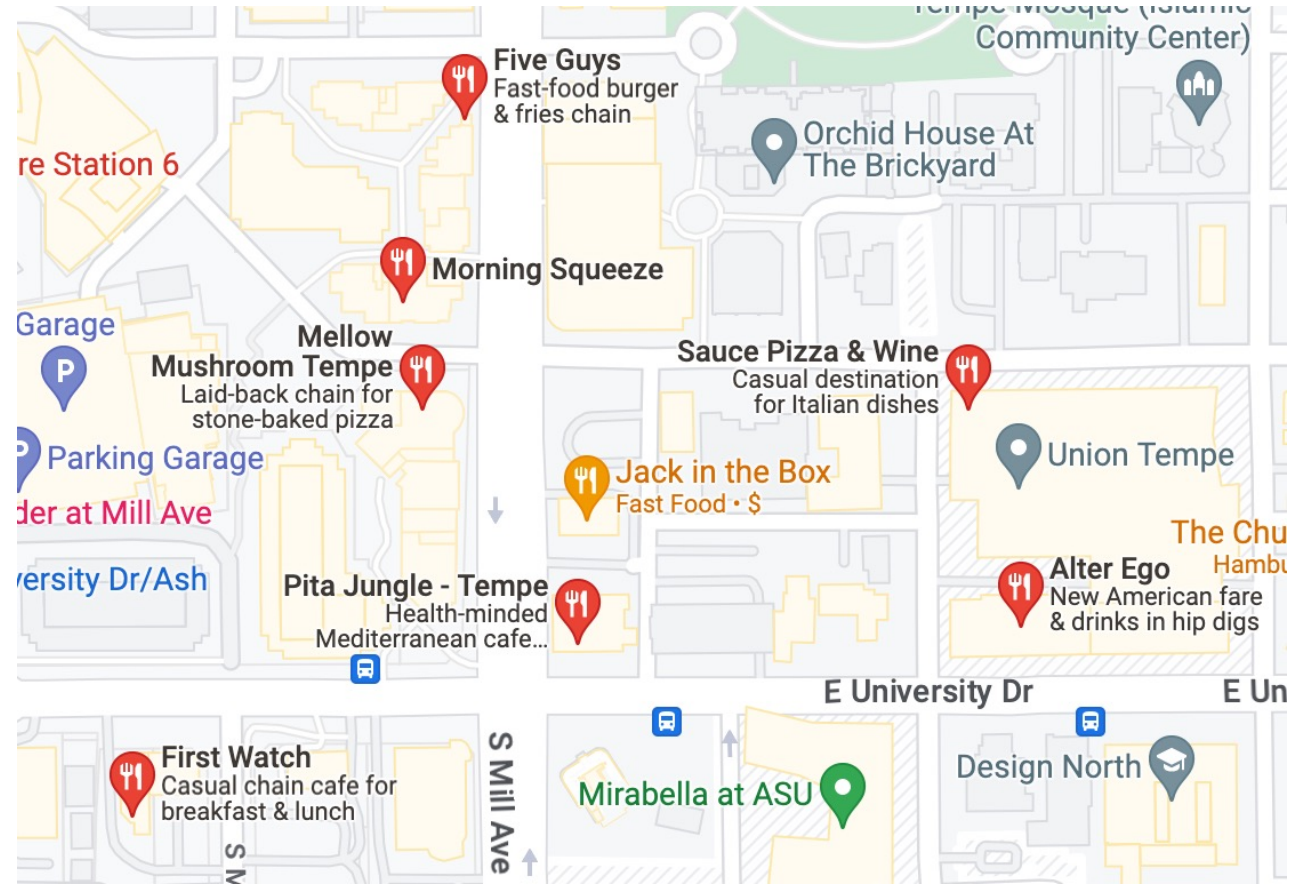
Ransalu Senanayake

Multi-Arm Bandits



Multi-Arm Bandits Solutions

- Exploitation only
- Exploration only (greedy)
- ϵ -first (exploration-first)
- ϵ -greedy
- UCB



ϵ -greedy

$$\text{arm}_t = \begin{cases} \text{arm that maximizes reward, with probability } 1 - \epsilon \\ \text{random arm, with probability } \epsilon \end{cases}$$

- What is the effect of ϵ ?
- Fixed ϵ (e.g., $\epsilon=10\%$), decreasing ϵ , adaptive ϵ , etc.
- Can we utilize more information than the average?

UCB1 Algorithm

Randomly pull arms $\mathbf{k}=\{1, \dots, \mathbf{K}\}$ several times (n) to get an initial estimate of expected rewards \bar{r}_k

For iteration $\mathbf{t}=1, \dots, \mathbf{T}$

Play machine $k_{t+1} = \operatorname{argmax} \left(\bar{r}_k + \alpha \sqrt{\frac{2 \log N_t}{n_k}} \right)$

end

Expected regret

Initial phase (figuring out the reward from each arm): $\mathcal{O}(\sqrt{KT \log T})$

Later phase (when we get to know about arms/ δr_k): $\mathcal{O} \left(\sum_k \frac{1}{\delta r_k} \log T \right)$

δr_k is the reward gap of the k th arm compared to the arm with the best reward

Bayesian Bandits and Thompson Sampling

Assume parameterized distributions for the prior and likelihood

For T iterations

Compute the posterior $p(\theta|D) \propto p(D|\theta)p(\theta)$

Sample parameters from each arm

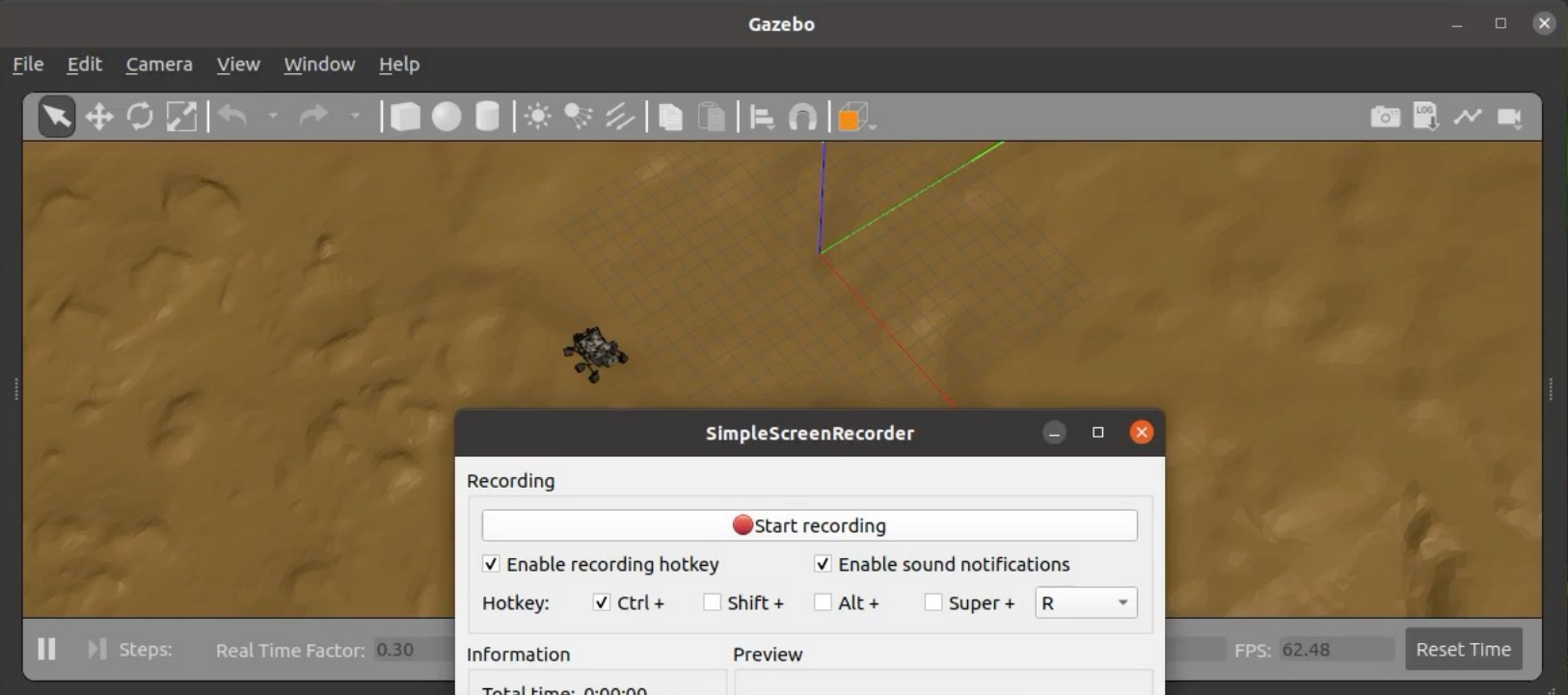
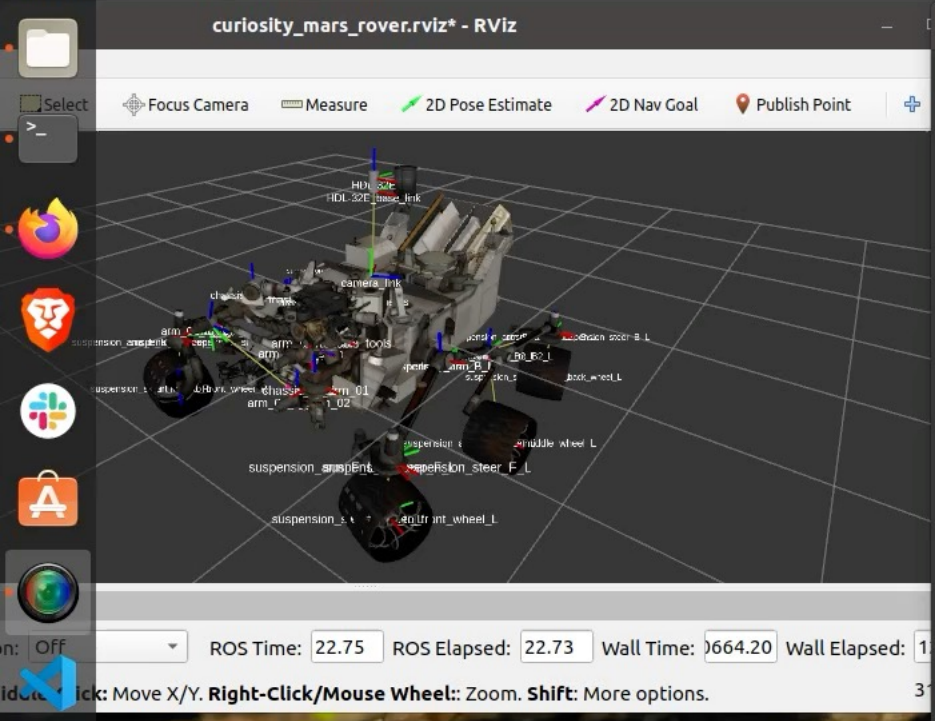
Compute the reward for each sample

Pick the arm that maximizes the reward

Append the dataset with $D = \{(\text{arm}, \text{reward})\}$

end

- Non-informative/uniform/flat/broad prior. Conjugate prior.



SimpleScreenRecorder

Recording

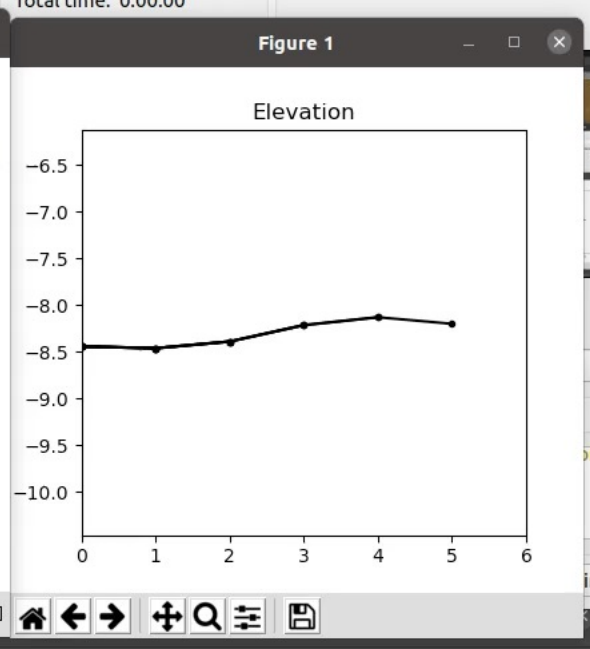
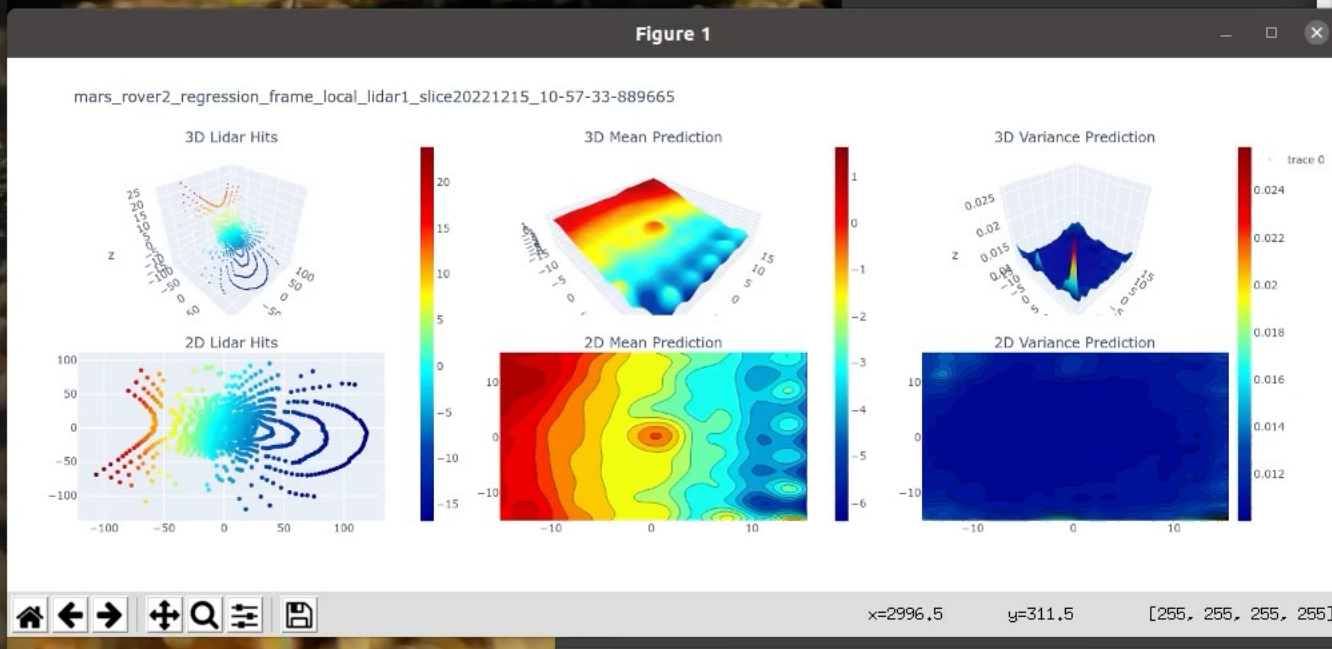
Start recording

Enable recording hotkey Enable sound notifications

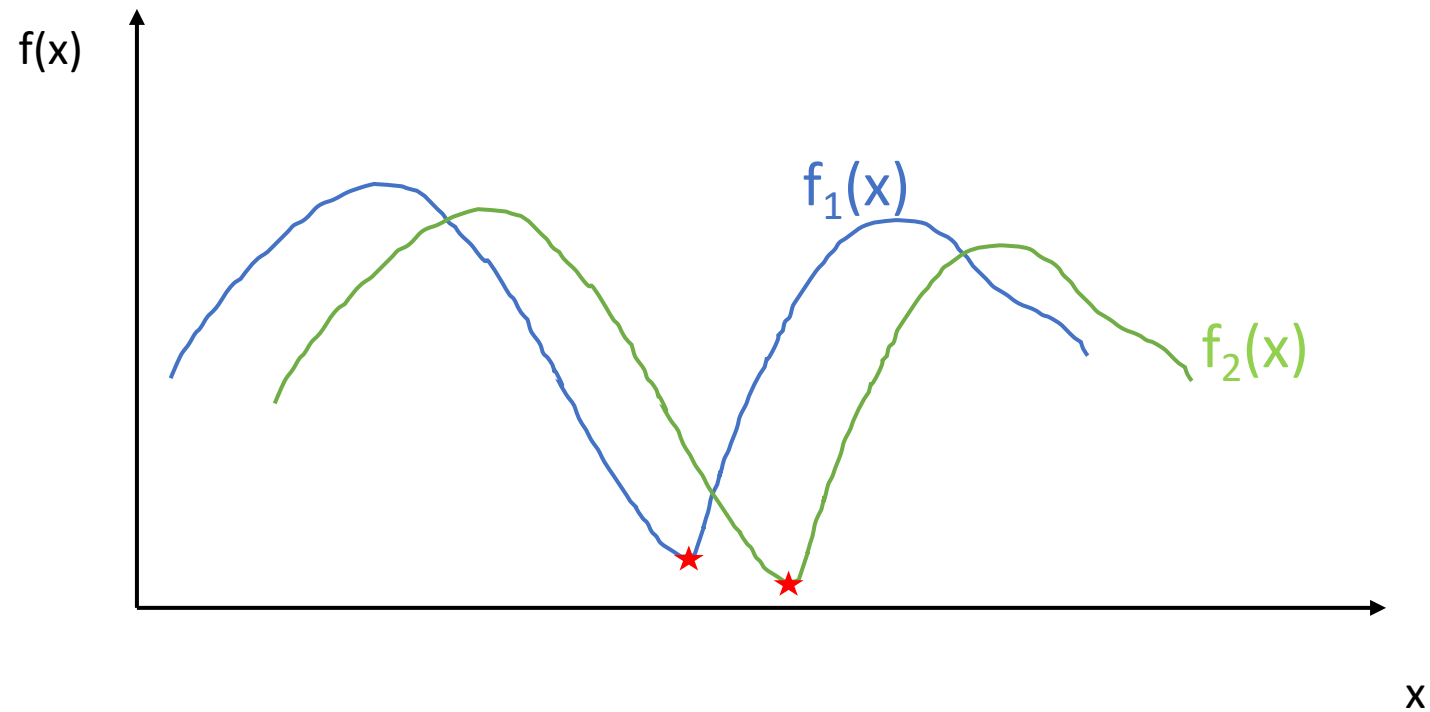
Hotkey: Ctrl + Shift + Alt + Super + R

Information Preview

Total time: 0:00:00

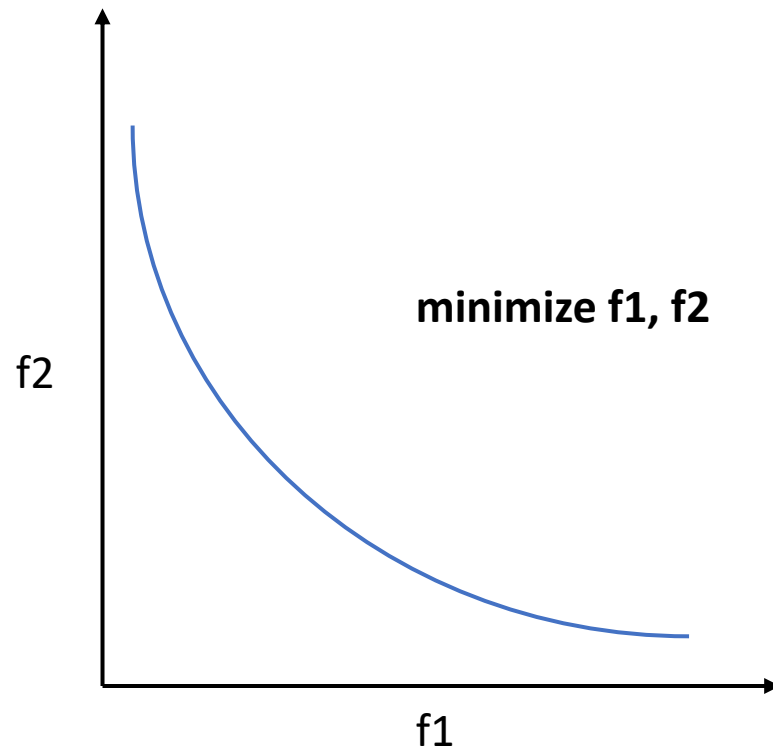


Multi-Objective Optimization



Multi-Objective Optimization

- A choice is *Pareto optimal* if it is impossible to improve in one objective without worsening at least one other objective



- $wf_1(x) + (1 - w)f_2(x)$
- Possible solutions
- What if we maximize
- Hypervolume

Multi-Objective Bayesian Optimization (MOBO)

Differentiable Expected Hypervolume Improvement for Parallel Multi-Objective Bayesian Optimization

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